

# Homogeneity and isotropy in the 2MPZ photometric redshift catalogue

MNRAS 449, 670-684, 2015

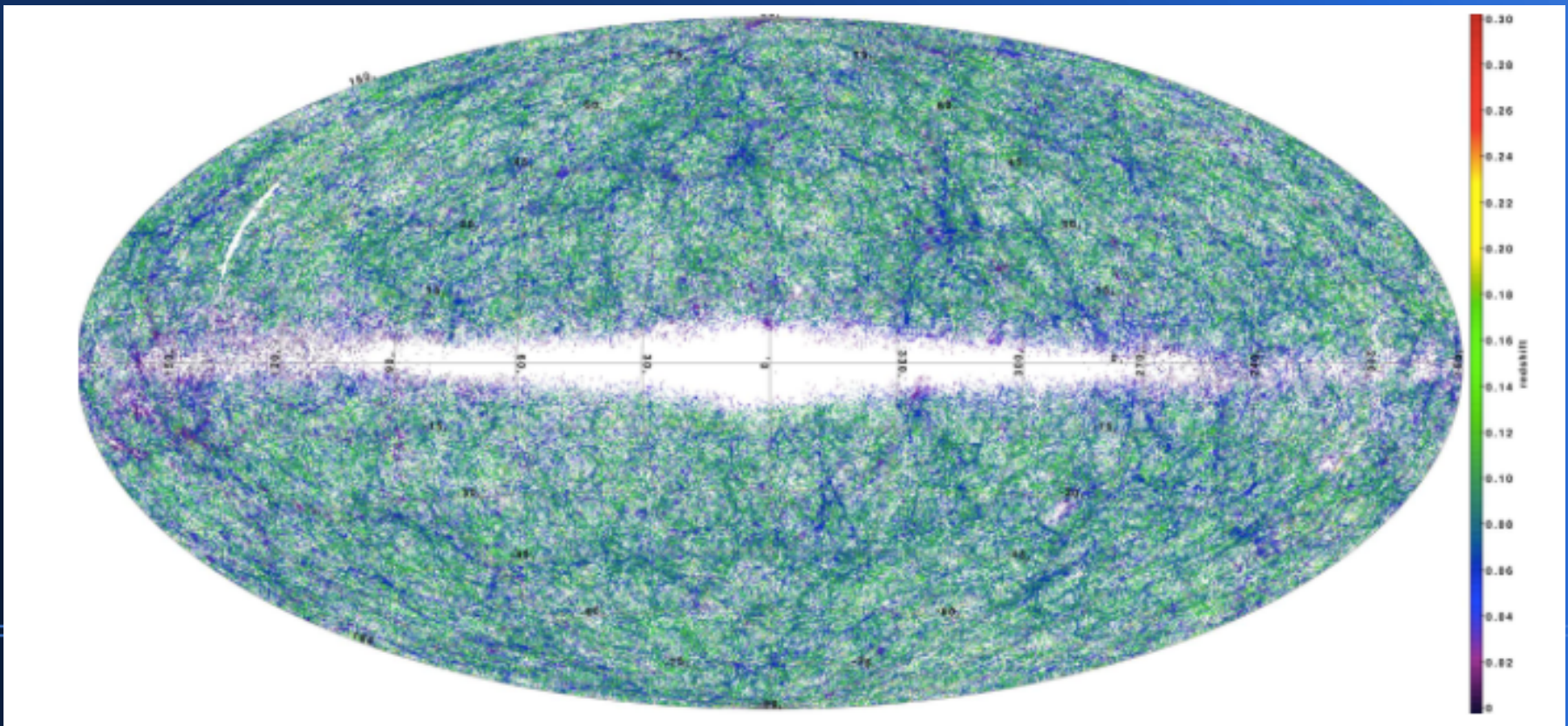
Javier Sánchez, on behalf of D. Alonso, A. Salvador, M. Bilicki, J. García-Bellido, E. Sánchez

# Introduction

- The standard model of cosmology is based on the Cosmological Principle
- Model independent technique to test it in photometric catalogs (Alonso et al., 2014, MNRAS 440, 10)
- 2MPZ good candidate to use this technique since big volume is needed

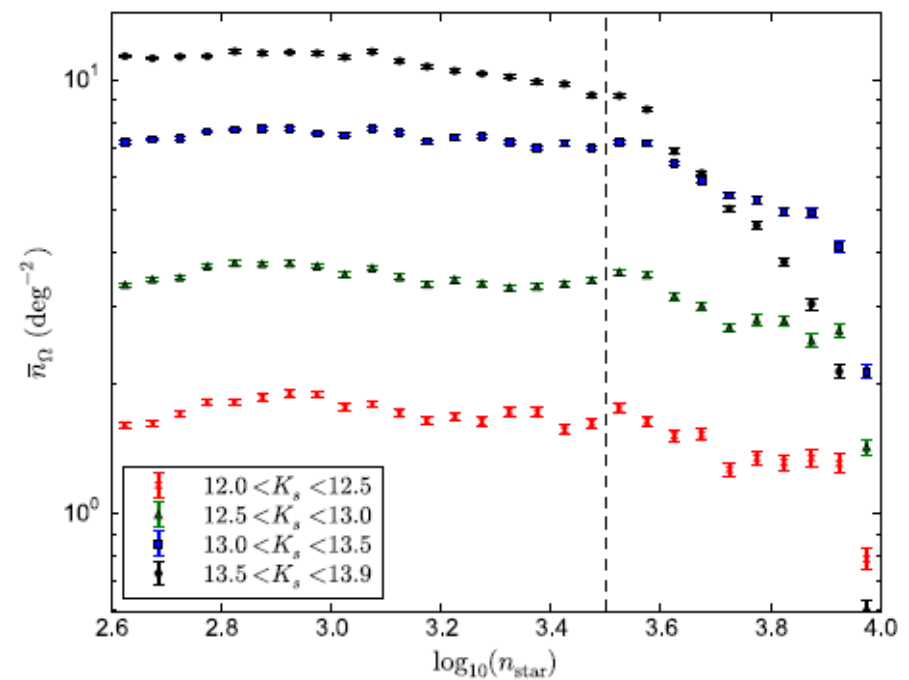
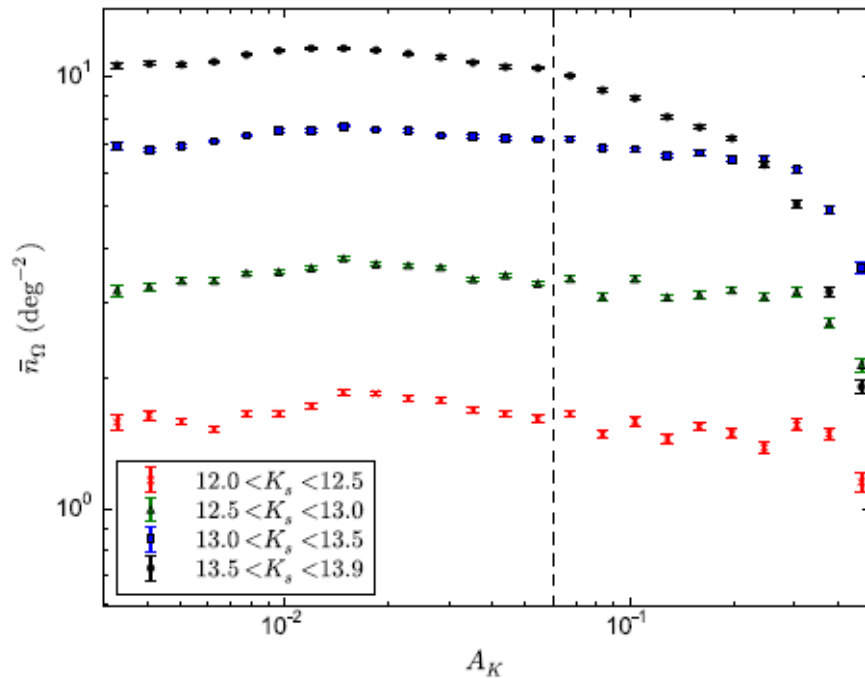
# The data

- 2MPZ (Bilicki et al 2013): First public all-sky photometric catalog
- 1 million galaxies  $K < 13.9$



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- 1 million galaxies  $K < 13.9$
- Masking:  $A_K > 0.6$ ,  $\log(n_s) > 3.5$



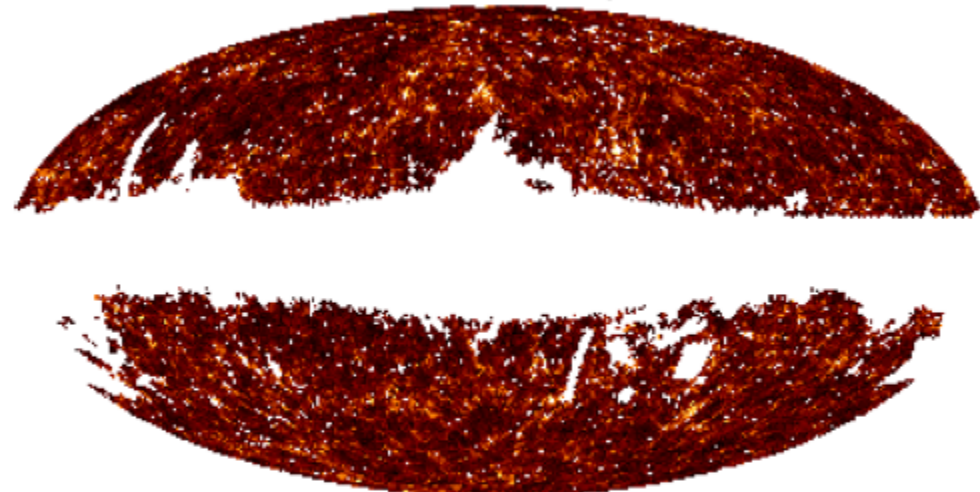
# The data

- $12 < K < 13.9$ . fsky=0.647. 628 kGals
- 2 redshift bins  $0.03 \leq z < 0.08$ ,  $0.08 \leq z \leq 0,3$

Mask

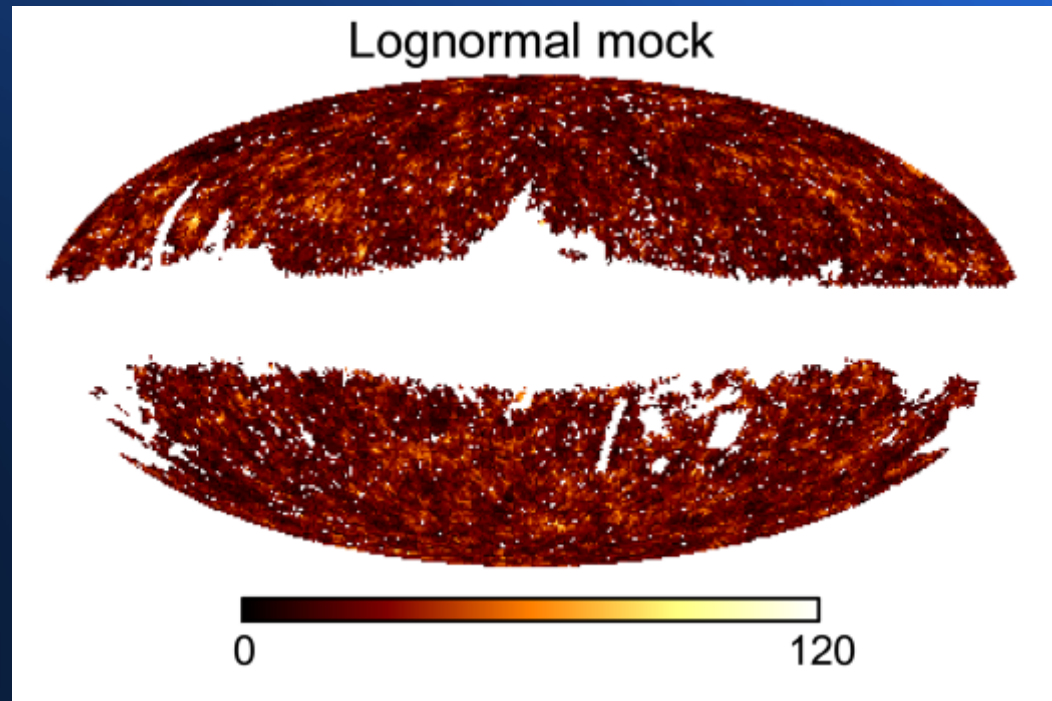


Fiducial sample



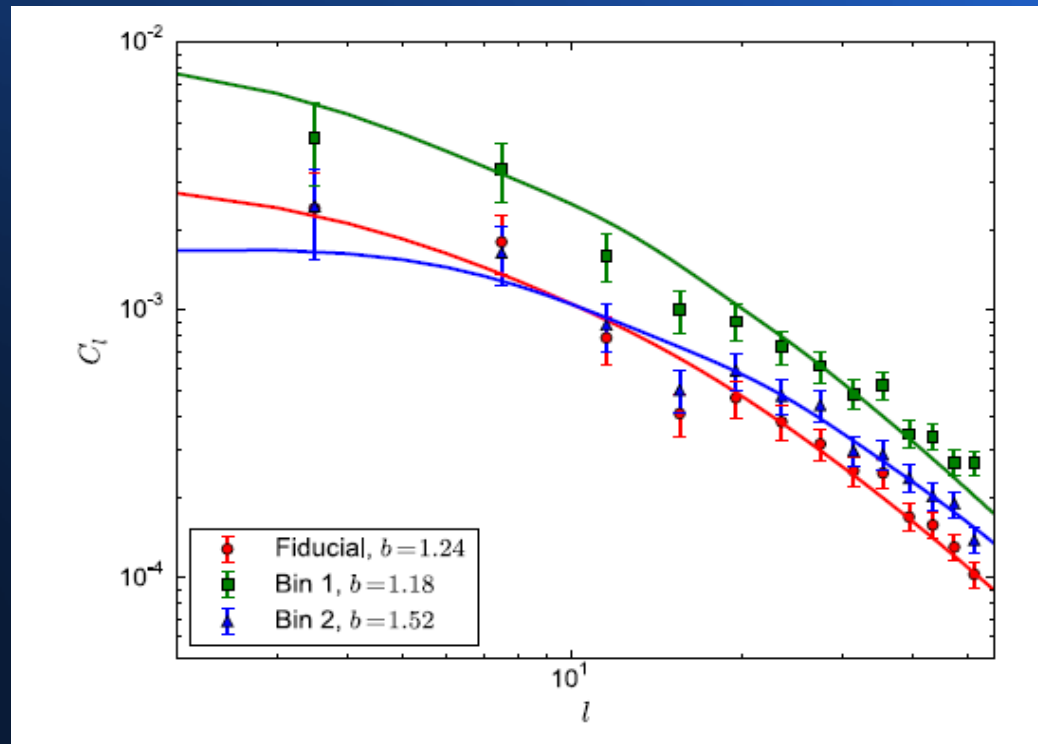
# Creating mocks

- Generated 10000 lognormal catalogs with the same redshift distribution



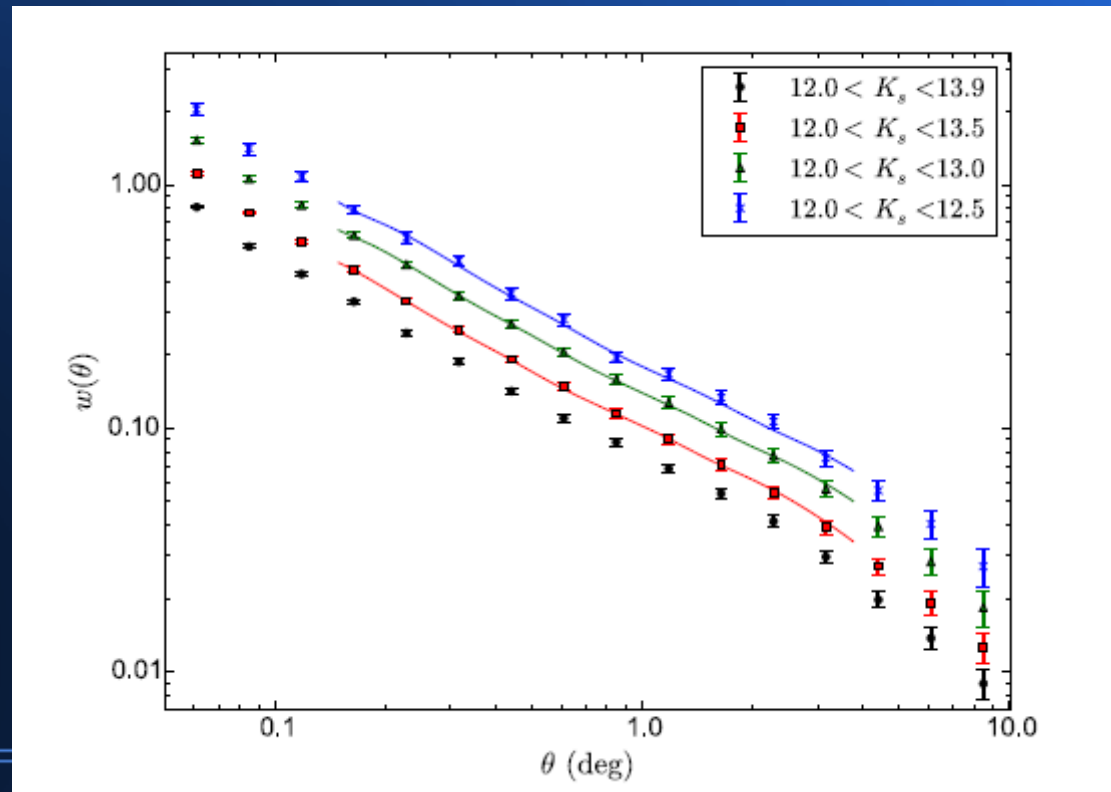
# Creating mocks and estimating bias

- We estimate the bias and luminosity function to generate the mocks



# Scaling of the 2p-acf

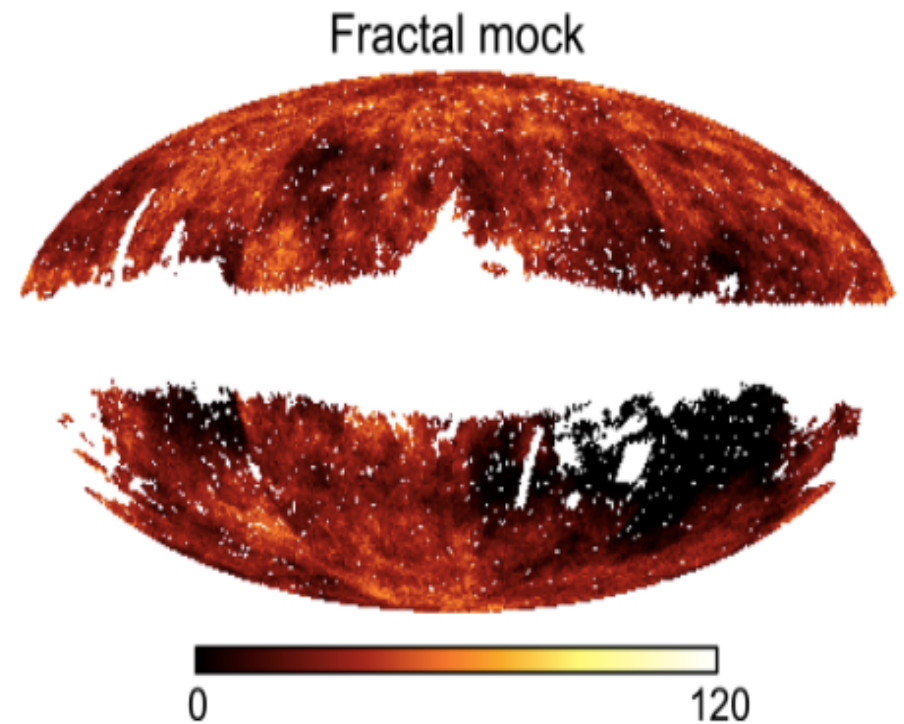
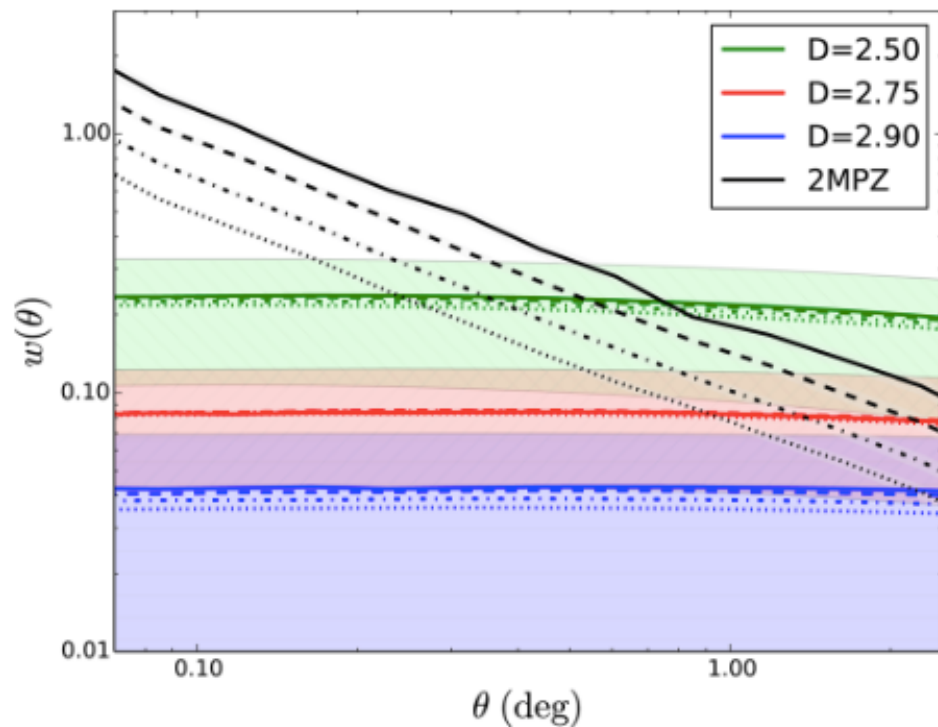
$$\omega(\theta, B) = \frac{W(B\theta)}{B}$$





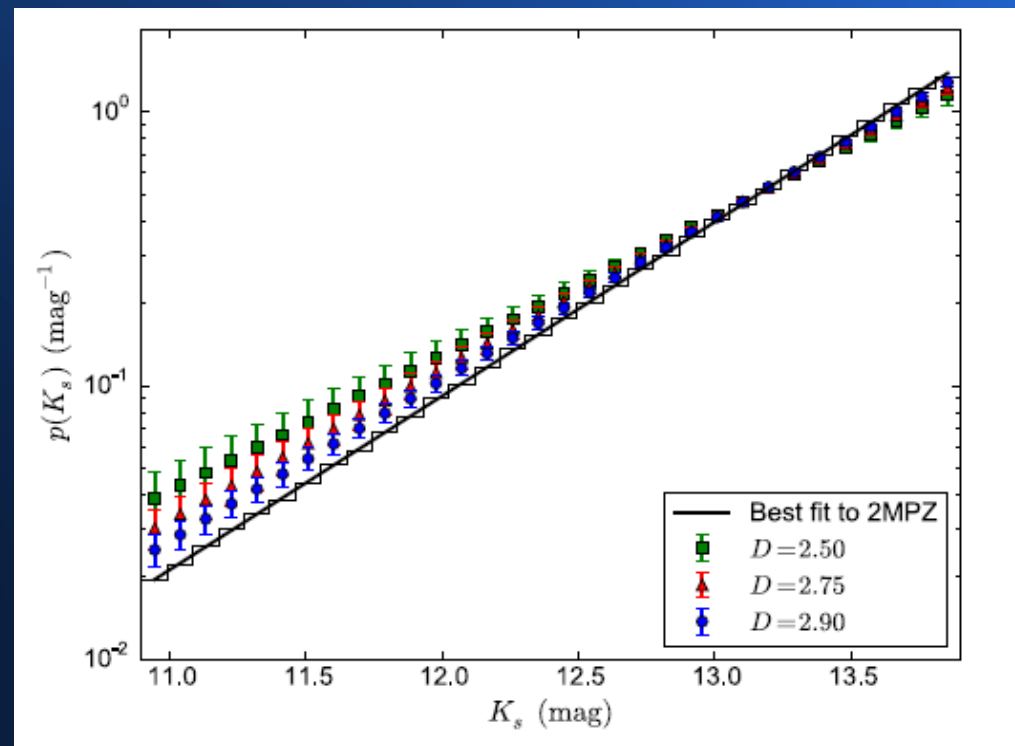
# Correlation function of fractal models

- We generated a suite of 100 mock catalogs with  $D=2.5, 2.75$  and  $2.9$



# Scaling relations

- $\beta = 0.63$  ( $\Delta\beta=0.015$ ) ( $\beta = 0.2D$ ,  $D$  fractal dim)



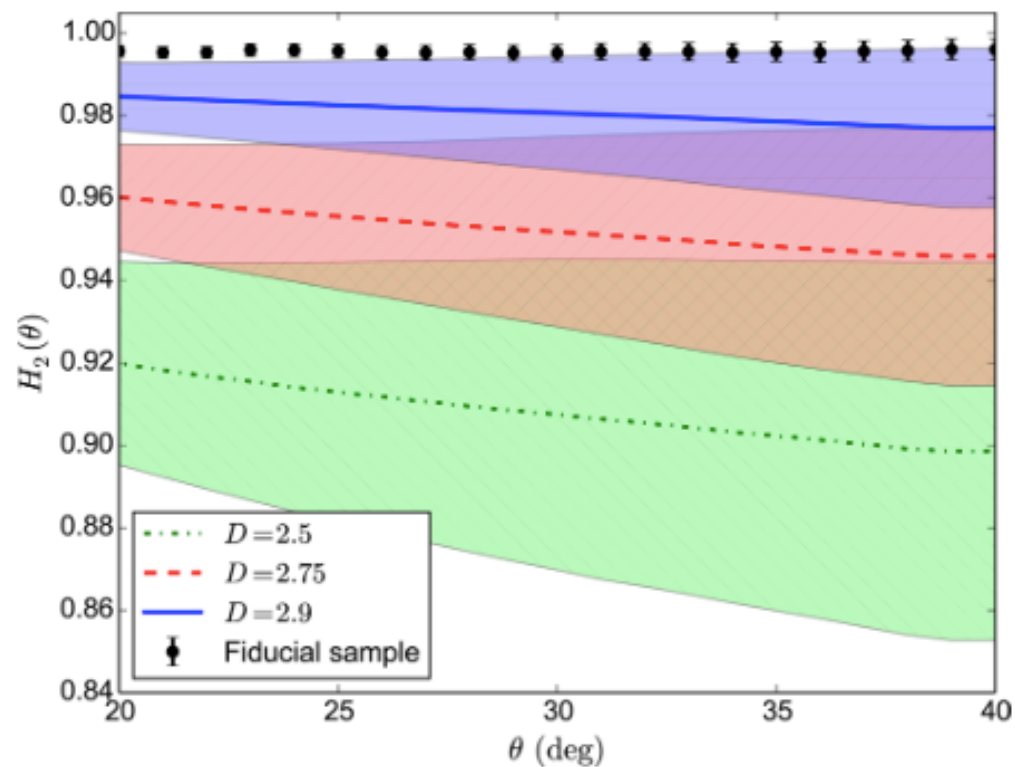
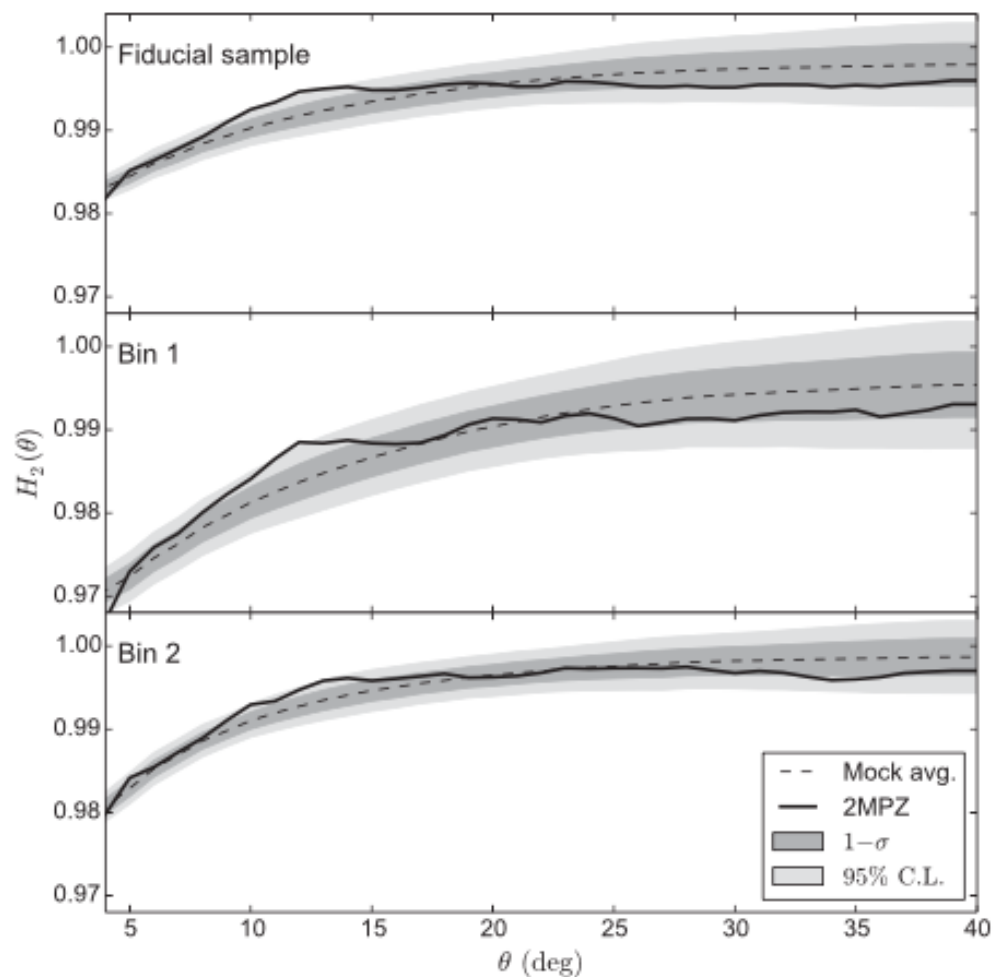
# The angular homogeneity index

- We use the method presented in Alonso et al., 2014, MNRAS 440, 10
- Counts-in-spheres using a random catalog

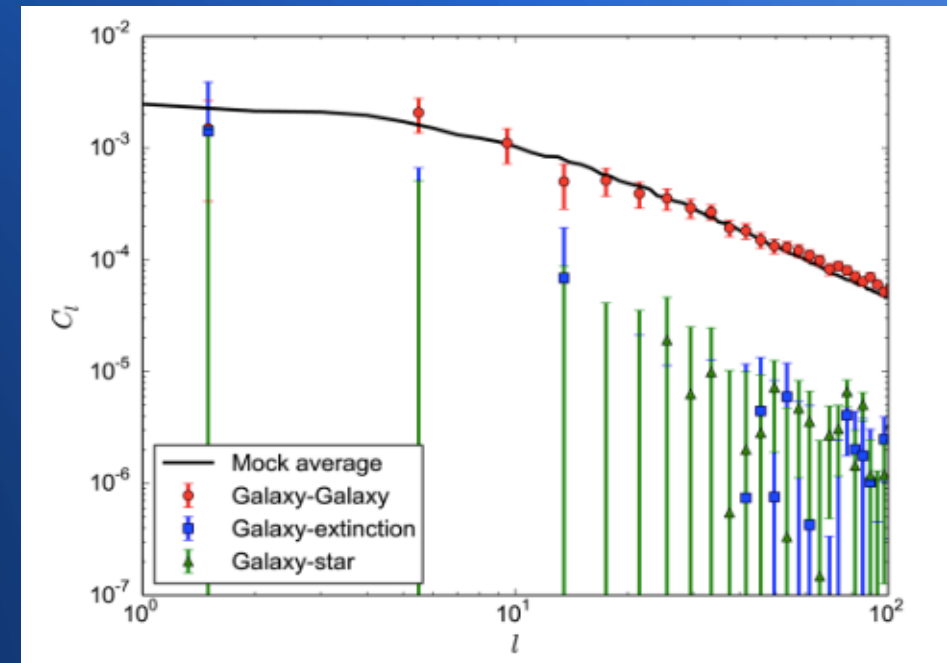
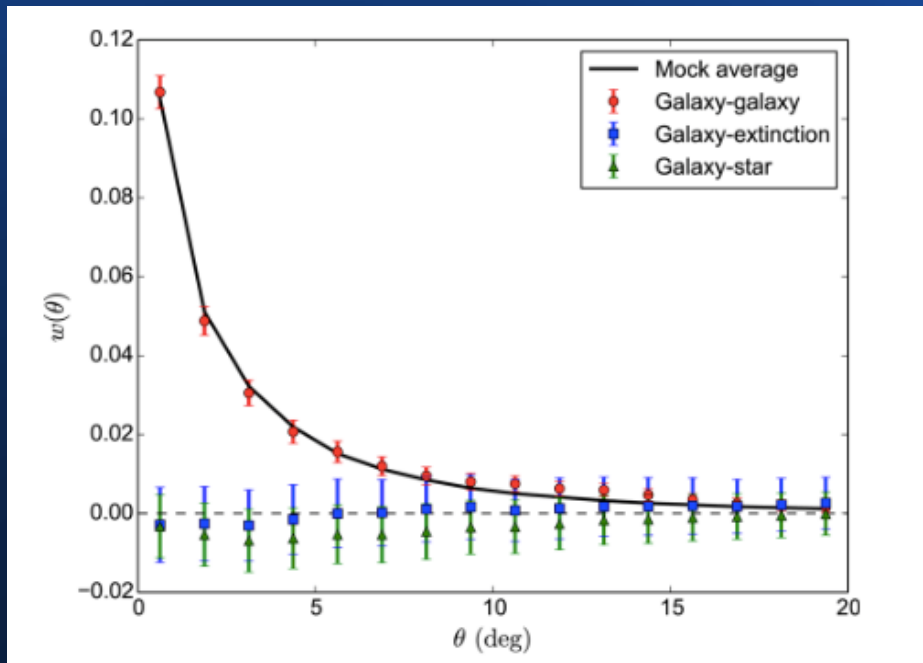
$$G_2(\theta) = \bar{N}(\theta)\mathcal{N}(\theta) - 1$$

$$H_2(\theta) = \frac{d \log G_2(\theta)}{d \log V}$$

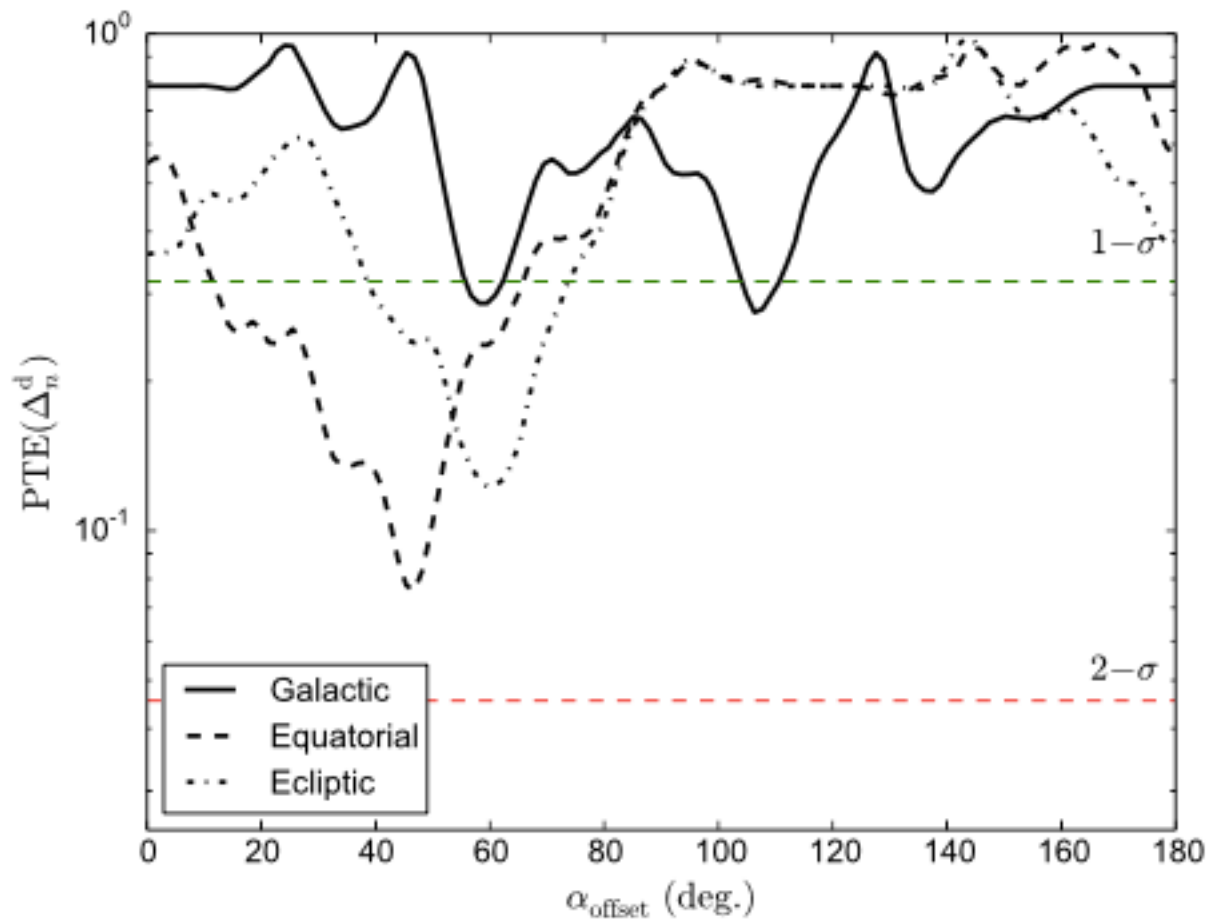
# The angular homogeneity index



# Clustering systematics

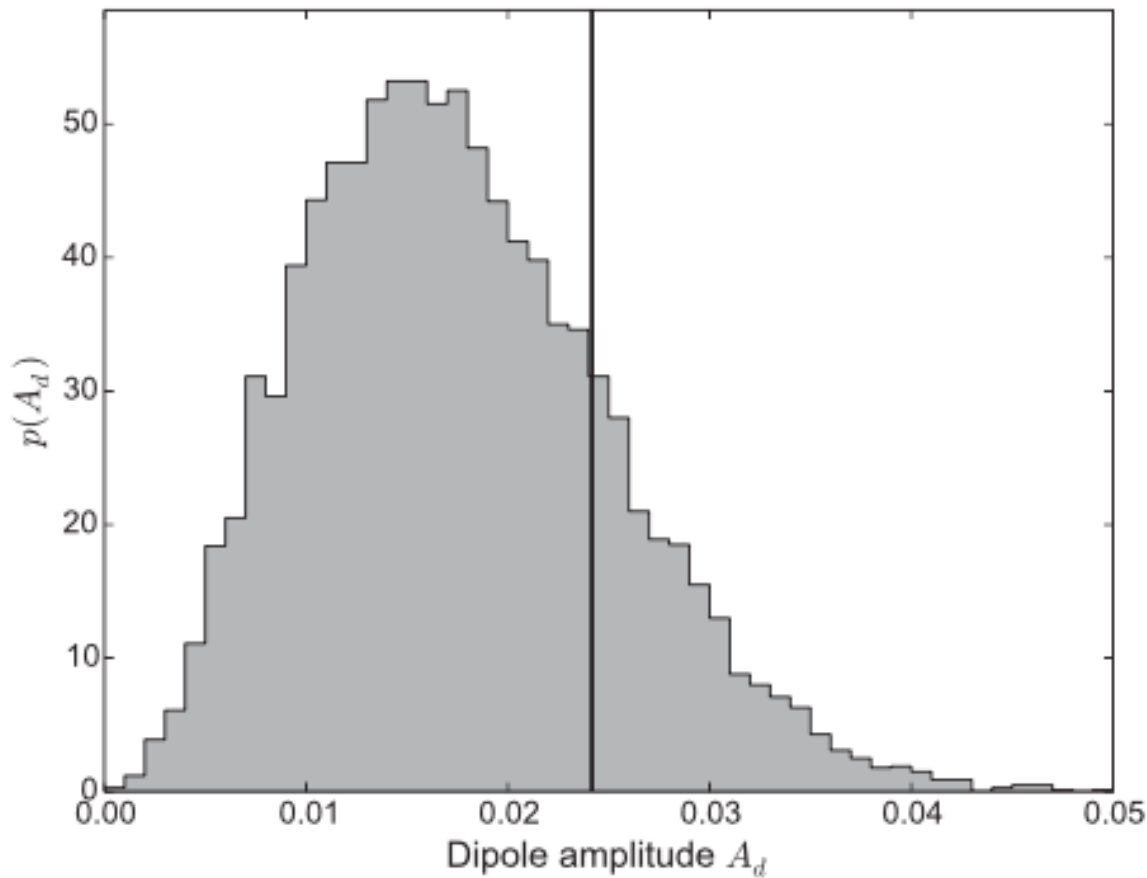


# Hemispherical differences



$$\Delta_n = \frac{2|\bar{n}_\Omega^N - \bar{n}_\Omega^S|}{\bar{n}_\Omega^N + \bar{n}_\Omega^S}$$

# Power of assymetries



We compute the variance of the overdensity field inside discs of  $10^\circ$  and  $20^\circ$ , subtract mean and fit the dipole. Repeat the process for 10000 lognormal mocks and compare. (1.5-sigma)

# Conclusions

- Presented analysis of homogeneity using a model independent, unbiased estimator in a photometric catalog.
- Measurements of homogeneity in good agreement with the standard cosmological model (and in tension with  $D < 2.75$ )
- Scaling laws for number counts and correlation function closely follow statistically homogeneous cosmology (tension for  $D < 2.75$ )
- Dipole in the clustering variance of the data in the same direction  $[(l, b) \sim (310^\circ, 5^\circ)]$  as previous studies. But perfect agreement with the variance expected within  $\Lambda$ CDM.
- Next steps: apply this methodology to WISE and DES